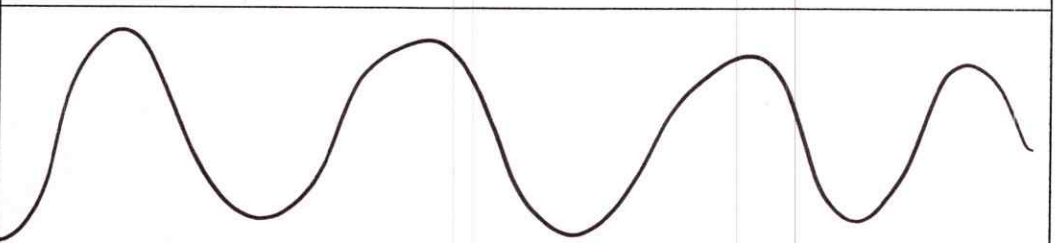


5.3	Properties of Logarithms If $m > 0, n > 0, b > 0, \text{ and } b \neq 1, \text{ and } a \text{ is any real number}$	<ul style="list-style-type: none"> Product Property Quotient Property Power Property 	<div style="display: flex; justify-content: space-between;"> Condensed Expanded </div> $\log_b m \cdot n = \log_b m + \log_b n$ $\log_b m \div n = \log_b m - \log_b n$ $\log_b m^a = a \log_b m$
5.4	Properties of Natural logarithms If $m > 0, n > 0, b > 0 \text{ and } b \neq 1, \text{ and } a \text{ is any real number}$	<ul style="list-style-type: none"> Product Property Quotient Property Power Property 	$\ln m \cdot n = \ln m + \ln n$ $\ln \frac{m}{n} = \ln m - \ln n$ $\ln m^a = a \ln m$
	Exponential Equation	$y = b^x \quad \text{or} \quad y = e^x$	
5.5	Change of base formula		
	Logarithmic equation	an equation in the form $y = \log_b x \quad \text{OR} \quad y = \ln x$	
	Principal	The original amount of money invested or borrowed	
	Simple interest	Interest on the principal only	
	Interest	the fee for borrowed money or the amount earned on invested money	
5.6	Simple Interest Formula	$\text{Interest} \rightarrow I = P \cdot r \cdot t$ <div style="display: flex; justify-content: space-around; font-size: small;"> ← principal ← time </div>	
	Compound Interest Formula	$A = P \left(1 + \frac{r}{n}\right)^{n \cdot t}$ <div style="display: flex; justify-content: space-between; font-size: x-small;"> A: amount of money after P: principal r: rate t: time </div>	
	Continuous Compound Interest	$A = P e^{rt}$ <div style="display: flex; justify-content: space-between; font-size: x-small;"> A: amount of money after P: principal r: rate t: time </div>	